

## Binomial Distribution TI 83/84

**Parameters:**  $n$  = number of trials,  $p$  = probability of success,  $x$  = number of successes

	<b>Example</b> Successes = 5	<b>Calculator</b>
To calculate the binomial probability for <b>exactly one</b> particular number of successes	$P(x = 5)$	binompdf( $n, p, x$ ) binompdf( $n, p, 5$ ) <i>from example</i>
To calculate the binomial probability of <b>at most</b> any number of successes	$P(x \leq 5)$	binomcdf( $n, p, x$ ) binomcdf( $n, p, 5$ ) <i>from example</i>
To calculate the binomial probability of <b>fewer than</b> any number of successes	$P(x < 5)$ <i>Note: Does not include 5</i>	binomcdf( $n, p, x$ ) binomcdf( $n, p, 4$ ) <i>from example</i>
To calculate the binomial probability of <b>more than</b> any number of successes	$P(x > 5) = 1 - P(x \leq 5)$ <i>Think complement</i>	$1 - \text{binomcdf}(n, p, x)$ $1 - \text{binomcdf}(n, p, 5)$ <i>from example</i>
To calculate the binomial probability of <b>at least</b> any number of successes	$P(x \geq 5) = 1 - P(x \leq 4)$ <i>Think complement</i>	$1 - \text{binomcdf}(n, p, x)$ $1 - \text{binomcdf}(n, p, 4)$ <i>from example</i>

## Normal Distribution TI 83/84

	<b>Have Boundaries – Need Area</b>	<b>Have Area – Need Boundary</b>
<b>Working with z scores</b>	<code>normalcdf(left boundary, right boundary)</code>	<code>invNorm(area to the left)</code>
<b>Working with raw (x) scores</b>	<code>normalcdf(left boundary, right boundary, mean, std deviation)</code>	<code>invNorm(area to the left, mean, std deviation)</code>